In order to encourage children to work mentally, calculations should always be presented horizontally so children can make decisions about how to tackle them. Encourage children to choose to use the most efficient method for the numbers and the context. Teach operations together to emphasise the importance of inverse.

National Curriculum Guidance Vocabulary Multiplication To be taught alongside each other Division Ensure that the emphasis in Y3 is on grouping rather than sharing, Children will continue to use: Repeated addition Pupils should continue to practise lots of, groups of Pupils should be taught to: except when using fractions as this is sharing. their mental recall of 6 multiplied by $4 = 6 \times 4 = 6$ 'four times' x, times, multiply, 4 times 6 is 6+6+6+6=24 or 4 lots of 6 Recall and use multiplication tables when they are Children will continue to use: multiplication, Children should use number lines or bead bars to support. Number lines and known multiplication facts to solve division multiplication and division calculating mathematical multiplied by following on from repeated addition. facts for the 3, 4 and 8 statements in order to improve multiple of, product multiplication tables fluency. Through doubling, they Use number lines and known multiplications to solve divisions incl. once, twice, three connect the 2.4 and 8 times... ten times... Write and calculate multiplication tables. times as (big, long, Move into chunking (grouping) using these steps. Encourage children mathematical statements <u>Arrays</u> Increasingly use arrays to make links between x and \dot{z} . to be as efficient as possible. wide... and so on) Pupils should develop efficient for multiplication repeated addition Children should model a multiplication calculation using an array. This $23 \div 5 = 4 \text{ r}$ and division using the mental methods, for example, GROUPING: 23 children are knowledge will support the development of the grid method. arrav asked to get into groups of 5. using commutativity (e.g. 4 × 12 × 5 multiplication tables that row, column How many groups do they make? they know, including for $= 4 \times 5 \times 12 = 20 \times 12 = 240$) and double, halve two-digit numbers times multiplication and division facts SHARING: 23 marbles are share, share equally shared between 5 people, How one-digit numbers, using (e.g. using $3 \times 2 = 6$, $6 \div 3 = 2$ and $4 \times 9 = 36$ 36÷ 9 = 4 36 ÷ 4 = 9 many marbles do they each get? one each, two each, Important for teachers to be consistent. Either seen as a row of 9. mental and progressing to $2 = 6 \div 3$) to derive related facts 4 times (9×4) ... or a column of 4, 9 times (4×9) . Both are correct three each... group in efficient (including $(30 \times 2 = 60, 60 \div 3 = 20)$ and pairs, threes... tens formal) written methods $20 = 60 \div 3$). Moving towards more efficient approaches, using known facts. Moving towards 2 digit x 1 digit using place value. equal groups of $90 \times 4 = 40 \times 9 = 360$ $360 \div 9 = 40$ $360 \div 4 = 90$ 23-5=4-3 ÷, divide, division, Solve problems, including Pupils should develop reliable Derive facts from unknown facts divided by, divided into missing number problems, written methods for multiplication left, left over. Use number line to show known multiplication facts and then derive involving multiplication and and division, starting with unknown facts. E.g. if you know $5 \times 10 = 50$. Count back 5 to derive remainder division, including positive calculations of two-digit numbers 5×9 etc. 5×5 will be half of 5×10 etc... Relate to other 'tables'. integer scaling problems by one-digit numbers and 0 5 10 25 30 **45** 50 and correspondence progressing to the efficient problems in which n written methods of short 23-5-4-3 objects are connected multiplication and division. Also Partition an array to show how to derive an unknown fact from a to m objects. known fact e.g. use knowledge of 2 and 5 times tables to work out Pupils should solve simple problems multiples of 7, e.g. $7 \times 3 = 5 \times 3 + 2 \times 3$ in contexts, deciding which of the 15 + 6 four operations to use and why, including measuring and scaling Using symbols to stand for unknown numbers to complete contexts, and correspondence equations using inverse operations (2 digit ÷ 1 digit numbers) problems in which m objects are 26 ÷ 2 = \square 24 ÷ \wedge = 12 □ ÷ 10 = 8 connected to n objects (e.g. 3 hats and 4 coats, how many different Use Base 10 equipment to show 10 times bigger / smaller. Model the Find unit fractions of numbers and quantities enlargement. E.g to show why 6×3 helps in solving 60×3 . outfits; 12 sweets shared equally Start to relate fractions to division in context: Find a ribbon that is 4 times as long as the blue ribbon $r = b \times 4$ E.g. A cake recipe for 8 people uses 500g of flour. How much flour between 4 children: 4 cakes would I need to make a cake for 4 people? shared equally between 8 What is $\frac{1}{2}$ 1/3 $\frac{1}{4}$ 1/4 of 12 litres or $\frac{1}{4}$ of 20 kg? 20 cm children). Using symbols to stand for unknown numbers to complete equations using inverse operations □ x 5 = 20 3 x \triangle = 18 □ x O = 32 Partitioning (2 digit x 1 digit numbers)

 $38 \times 5 = (30 \times 5) + (8 \times 5) = 150 + 40$

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| | National Curriculum | Guidance | Multiplication To be taug | ht alongside each other Division | Vocabulary |
|-----------|---|---|---|--|--|
| - | | Buldance | 2 and 3 digit x 1 digit numbers. Include X 0 and X 1 | 2 and 3 digit ÷ 1 digit numbers. Include ÷ 0 and ÷ 1 | , |
| | Pupils should be taught | | (Continue setting calculations in a range of contexts-see above) | (Continue setting calculations in a range of contexts) | lots of, groups of |
| | to: | Pupils should continue to | | Number lines and known multiplication facts to solve division | times, multiply, |
| | Recall multiplication and | practise recalling and using | Partitioning using place value and the distributive law (continuing from Y3) | Children will continue to develop their use of number lines and known multiplication facts to solve division (using known multiples of the | multiplication, |
| У4 | division facts for | multiplication tables and | 38 x 5 = (30 x 5) + (8 x 5) | divisor). Initially, these should be multiples of 10s, 5s, 2s and 1s - | multiplied by |
| | multiplication tables up | related division facts to aid | = 150 + 40 | numbers with which the children are more familiar. | multiple of, product |
| | to 12 × 12 | fluency. | = 190 Children will continue to use arrays where appropriate leading into | Short division (2 digit ÷ 1 digit numbers) | once, twice, three |
| | | Pupils should practise mental | the grid method of multiplication. | Illustrate using horizontal and vertical bead bar and number line to | times ten times |
| | Use place value, known | methods and extend this to | | make link between vertical column method and chunking using knowledge of multiples of the divisor. (if a child struggles | times as (big, long, |
| | and derived facts to | three-digit numbers to derive | x 10 : 4 | subtracting, just encourage to count forwards from zero in | wide and so on) |
| | multiply and divide mentally, including: | facts, for example 200 × 3 = | (10 x 6) + (4 x 6) | multiples of the divisor to reach the dividend) | repeated addition |
| | multiplying by 0 and 1; | 600 into 600 ÷ 3 = 200, to | | 72 ÷ 3 = 24 | array |
| | dividing by 1; multiplying | - | | Using place value counters | row, column double, halve |
| | together three numbers | become fluent. | 000000000000000000000000000000000000000 | (or base 10), | * |
| | rogerner mi ce namber s | Pupils should practise to | | children can group to solve | share, share equally one each, two each, |
| | Recognise and use factor | become fluent in the efficient | | problems. | three each |
| | pairs and commutativity | written method of short | Grid method | | group in pairs, |
| | in mental calculations | multiplication for multiplying | (Short multiplication - multiplication by a single digit) | 72+3 | threes tens |
| | | using multi-digit numbers, and | 23 x 8 Children will approximate first | 1.5 72 10a | equal groups of |
| | Multiply two-digit and | short division with exact | 23 x 8 is approximately 25 x 8 = 200, encouraging to use known | N N 72÷3=□ 3×□=77 | divide, division, divided |
| | three-digit numbers by a | answers when dividing by a | facts to 100 e.g. 25 x 4 =100 | 2 +344 +344 +5 | by, divided into |
| | one-digit number using | one-digit number. | 23 | X 20 X 30 X | remainder |
| | formal written layout | Pupils should write statements | <u>X 8</u> | 12 30 K 307 | factor, quotient, |
| | | about the equality of | 24 (3 x 8) (record in expanded format first) + 160 (20 x 8) | Amer & -3×4 -3×10 -3×10 | divisible by |
| | Solve problems involving | expressions (e.g. use the | 184 | Andrew Co. | inverse |
| | multiplying and adding, including using the | distributive law 39 × 7 = 30 × 7 | Recognise and use factor pairs. | 72 ±3 ± [] | |
| | distributive law to | + 9 × 7 and associative law (2 × | | 96 ÷ 6 | |
| | multiply two digit | $3) \times 4 = 2 \times (3 \times 4)$. | 21 x 8 = 7 x 3 x 2 x 4 = 168 | 16 | |
| | numbers by one digit, | Pupils should solve two-step | | 6) 96 - 60 36 | |
| | integer scaling problems | problems in contexts, choosing | Encourage children to multiply 3 single digits together | 36 - <u>36</u> 6x | |
| | and harder | the appropriate operation, | e.g. 3 x 4 x 5 and link to contexts such as volume. e.g. using 3 dice is it always, sometimes, never true | = 30 / 0 / 10 | |
| | correspondence | | that if you multiply all 3 dice numbers together you | Answer: 16 | |
| | problems such as n | working with increasingly | get the biggest total? | | |
| | objects are connected | harder numbers. This should | | Continue relating division to fractions and scaling A pair of jeans originally cost £60. In a sale they were reduced by a | |
| | to m objects | include correspondence | | quarter. How much do they cost now? | |
| | | questions such as three cakes | | | |
| | Solve simple measure | shared equally between 10 | | Be gin to model divisions as fractions and use knowledge of factors to | |
| | and money problems | children. | | simplify divisions by representing as equivalent ratios | |
| | involving fractions and | | | E.G. £360 lottery win shared between 6 friends. Each gets a sixth. This is the same as £120 being shared between 2. | |
| | decimals to two decimal | | | £360÷ 6= £120÷2 | |
| | places. | | | NB Children need to make sensible decisions about rounding up or | |
| | | | | down after division problems accordingly. Any remainders should | |
| | | | | be shown as integers, e.g. 44 ÷ 12 = 3 r 8 but in context, e.g. 'How many dozen boxes of eggs will I need for 44 eggs?' 4 | |
| | 1 | l | l | I HOW HIGHLY GOZEH DONES OF EGGS WILL FREED TOP THE EGGS: 4 | ı |

