



1st year physics notes chapter 2 scalar and vector

In previous chapter we have learned about the motion of any particle along a straight line Straight line Straight line Straight line Straight line Straight line motion in two dimension. In two dimension and three dimension. In two dimensions are chapter we have learned about the motion of any particle is constrained to lie in a fixed plane. Example of such motion motion are Projectile shot from a gun, motion of moon around the earth, circular motion and many more. To solve problems of motion in a plane, we need to generalize kinematic language of previous chapter to a more general using vector notations in two and three dimensions. In the next section, we will be learning about Scalar and Vectors, Vector Algebra pertaining to physical quantities that only have magnitude for example mass, length, time, temperature , the distance between two points, mass of an object, and the time at which a certain event happened. The rules for combining scalars are the rules of ordinary algebra. Scalars can be added, subtracted, multiplied and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2) Vectors are physical quantities having both magnitude and divided just as the ordinary numbers (2 the triangle law of addition or equivalently the parallelogram law of addition. A quantity that has magnitude as well as direction is called vector. From a geometric point of view, a vector can be defined as a line segment having a specific direction and a specific length. Magnitude of a vector a is denoted by |a| or a.It is a positive quantity It obeys the triangle law of addition or equivalently the parallelogram law of addition etc (i) Zero or Null Vector :A vector whose initial and terminal points are coincident is called zero or null vector (ii) Unit Vector :A vector whose magnitude is unity is called a unit vector which is denoted by n^ (iii) Free Vectors: If the initial point of a vector is not specified, then it is said to be a free vector. (iv) Negative of a vector having the same magnitude as that of a given vector a and the direction opposite to that of a is called the negative of a and it is denoted by —a. (v) Like and Unlike Vectors Vectors vectors having the same or parallel supports are called collinear vectors. (vii) Co-initial Vectors Vectors having same initial point are called co-initial vectors. (viii) Coplanar Vectors A system of vectors is said to be coplanar, if their supports are parallel to the same plane. Otherwise they are called non-coplanar vectors (iX) Equal vectors a and b are said to be equal written as a = b, if they have same magnitude and same direction regardless of the there initial point Let a and b be any two vectors. From the terminal point of a, vector b is drawn. Then, the vector from the initial point of a to the terminal point. A+B=B+A (2) Vector addition is associative i.e. A+B+C=(A+B)+C=A+(B+C)=(A+C)+B (3) A +0= A 4) A+ (-A)=0 Let a and b be any two vectors. Now a-b = a+ (-b) So we will first reverse the direction of vector b and then follow the vector addition process From the terminal point of a, vector -b is drawn. Then, the vector from the initial point of a vector b and then follow the vector addition process From the terminal point of a, vector -b is drawn. Then, the vector from the initial point of a vector b and then follow the vector addition process From the terminal point of a vector b and then follow the vector from the initial point of a vector b and then follow the vector addition process From the terminal point of a vector b and then follow the vector b and the of a to the terminal point B of -b is called the sum of vectors a and -b and is denoted by a - b. Another method to find subtraction of vector b to vector a. This will give a-b. When we multiply any vector A with any scalar quantity 'n' then it's direction remains unchanged and magnitude gets multiplied by 'n'. Thus, n(A) = nA scalar multiplication of vectors is distributive i.e., n(A + B) = nA + nB Important Properties (i) |k| = |k| |a| (ii) k O = O (iii) m (-a) = -ma = -(m a) (iv) (-m) (-a) = m a (v) m (n a) = mn a = n(m a) (vi) (m + n)a = m a + n a (vii) m (a+b) = ma+ m b Important Note :Addition and subtraction of scalars make sense only for quantities with same units. However, you can multiply and divide scalars of different directions and let A be another vector in the same plane A can be expressed as a sum of two vectors? one obtained by multiplying a by a real number and the other obtained by multiplying b by another real number. To see this, let O and P be the tail and head of the vector A. Then, through O, draw a straight line parallel to a, and through P, a straight line parallel to b. Let them intersect at Q. Then, we have A = OP = OQ + QP But since OQ is parallel to a, and OP is parallel to b, we can write : $OQ = \lambda a$, and $OP = \mu b$ (where λ and μ are real numbers.) Therefore, $A = \lambda a + \mu b$ We say that A has been resolved into two component vectors λa and μb along a and b respectively. Similarly We can represent any vector in rectangular components form. Let us assume an xyz coordinate plane and unit vector i, i andk are defined across x, y, z respectively. Then we can represent any vector in the components forms like r= xi+yi+ zk Important takeaways x, y and z are scalar components of vector r xi, yj, zk are called the vector components x, y, z are termed as rectangular components. Length of vector or magnitude of the vector is defined as $\frac{x^2 + y^2 + z^2}{x,y,z}$ are called the direction ratio of vector r In case it is given I,m,n are direction cosines of a vector then li+mj+nk=(cos\theta x) i +(cos\theta z) k is the unit vector in the direction of the vector and $\theta x, \theta y, \theta z$ are the angles which the vector makes with x, y and z axis Addition, subtraction and multiplication, equality in component form can be expressed In component form addition of two vectors is C=A+B C = (Ax+Bx)i + (Ay+By)j + (Az+Bz)k Where, A = (Bx, By, Bz) Thus in component form resultant vector C becomes, \$C x = A x+B x\$: \$C y = A y+B y\$: \$C z = A z+B z\$ In component form addition of two vectors is C=A+B C = (Ax+Bx)i + (Ay+By)j + (Az+Bz)k Where, A = (Bx, By, Bz) Thus in component form resultant vector C becomes, \$C x = A x+B x\$: \$C y = A y+B y\$: \$C z = A z+B z\$ In component form subtraction of two vectors is D=A - B D = (Ax - Bx)i + (Ay - By)i + (Az - Bz)k where, A = (Ax, Ay, Az) and B = (Bx, By, Bz) Thus in component form resultant vector D becomes, Dx = Ax - Bx = Dz = Az - Bz Equality of vector in component form A=B at A = B + B + B + Az = B + Az + Bz. Multiplication of scalar by vector in components form A=kB = K(Bxi+Byj+Bzk) = (kBx)i + (kBy)i B=\lamba A.B\$ For Unit vectors \$i.i=j.j=k.k=1\$\$i.j=j.k=k.i=0\$ if \$A=A_xi+A_yj+A_zk\$ and \$B=B_xi+B_yj+B_zk\$ then \$A.B=A xB x + A yB y+ A z B z\$ Also \$A.A= A^2 = A x^2 + A y^2 + A z^2\$ link to this page by copying the following textVectors in Physics Also Read Numericals from Physics. Chapter No.2 "Scalars And Vectors" for Class 11th, XI, HSC Part 1, 1st Year. Physics Notes - Practical Centre - Class 11th Measurement The process of measure a physical quantity, we have to find out how many times a standard amount of that physical quantity is present in the quantity being measured. The number thus obtained is known as the magnitude and the standard chosen is called the unit of the physical quantity. Unit The unit of a physical quantity. Unit The unit of a physical quantity is an arbitrarily chosen standard which is widely accepted by the society and in terms of which other quantities of similar nature may be measured. Standard The actual physical embodiment of the unit of a physical quantity is known as a standard of that physical quantity. • To express any measurement made we need the numerical value x Unit For example: Length of a rod = 8 m where 8 is numerical value and m (metre) is unit of length. Fundamental Physical Quantity/Units It is an elementary physical quantity, which does not require any other physical quantity. It is also known as basic physical quantity. The units of fundamental physical quantity are called fundamental units. For example, in M. K. S. system, Mass, Length and Time expressed in kilogram, metre and second respectively are fundamental units. Derived from the combination of two or more fundamental guantities or can be expressed in terms of basic physical guantities, are called derived physical quantities. The units of all other physical quantities, which car. be obtained from fundamental units, are called derived units. For example, units of velocity, density and force are m/s, kg/m3, kg m/s2 respectively and they are examples of derived units. Systems of Units Earlier three different units systems were used in different countries. These were CGS, FPS and MKS systems. Now-a-days internationally SI system of units is followed. In SI unit system, Seven guantities. (i) CGS System. Centimetre, Gram and Second are used to express length, mass and time respectively. (ii) FPS System. Foot, pound and second are used to express length, mass and time respectively. (iii) MKS System. Length is expressed in metre, mass is expressed in kilogram and time respectively. (iv) SI Units. Length, mass, time, electric current, thermodynamic temperature, Amount of substance and luminous intensity are expressed in metre, kilogram, second, ampere, kelvin, mole and candela respectively. Definitions of Fundamental Units Besides the above mentioned seven units, there are two supplementary base units. these are (i) radian (rad) for angle, and (ii) steradian (sr) for solid angle. Advantages of SI Unit System SI Unit System SI Unit System has following advantages over the other Besides the above mentionally accepted, (ii) It is a rational unit system, (iv) It is a metric system, (v) It is closely related to CGS and MKS systems of units, (vi) Uses decimal system, hence is more user friendly. Other Important Units of length such as 'astronomical unit', 'light year', parsec' etc. are used. • The average separation between the Earth and the sun is called one astronomical unit. 1 AU = 1.496 x 1011 m. • The distance travelled by light in vacuum in one year is called light year. 1 light year = 9.46 x 1015 m. • The distance at which an arc of length of one astronomical unit subtends an angle of one second at a point is called parsec. 1 parsec = 3.08 x 1016 m • Size of a tiny nucleus = 1 fermi = If = 10-15 m • Size of a tiny atom = 1 angstrom = 1A = 10-10 m Parallax. Hold a pen in front of your eyes and look at the pen by closing the right eye and ' then the left eye. What do you observe? The position of the pen changes with respect to the background. This relative shift in the position of the pen (object) w.r.t. background is called parallax. If a distant object e.g., a planet or a star subtends parallax angle 0 on an arc of radius b (known as basis) on Earth, then distance of that distant object from the basis is given by • To estimate size of atoms we can use electron microscope and tunneling microscopy technique. Rutherford's a-particle scattering experiment enables us to estimate size of nuclei of different elements. • Pendulum clocks, mechanical watches (in which vibrations of a balance wheel are used) and guartz watches are commonly used to measure time. Cesium atomic clocks can be used to measure time with an accuracy of 1 part in 1013 (or to a maximum discrepancy of 3 ps in a year). • The SI unit of mass is kilogram. While dealing with atoms/ molecules and subatomic particles we define a unit known as "unified atomic mass unit" (1 u), where 1 u = 1.66 x 10-27 kg. Estimation of Molecular Size of Oleic Acid For this 1 cm3 of oleic acid is dissolved in alcohol to make a solution of 20 cm3. Then 1 cm3 of this solution is taken and diluted to 20 cm3, using alcohol. So, the concentration of the solution is as follows: After that some lycopodium powder is lightly sprinkled on the surface of water in a large trough and one drop of this solution is put in water. The oleic acid drop spreads into a thin, large and roughly circular film of molecular thickness on water surface. Then, the diameter of the thin film is quickly measured to get its area A. Suppose n drops were put in the water. Initially, the approximate volume of each drop is determined (V cm3). Volume of n drops of solution = nV cm3 Amount of oleic acid in this solution The solution of oleic acid spreads very fast on the surface of water and forms a very thin layer of thickness of the film If we assume that the film has mono-molecular thickness, this becomes the size or diameter of a molecule of oleic acid. The value of this thickness comes out to be of the order of 10-9 m. Dimensions The dimensions of a physical quantity are the powers to which the fundamental units of mass, length and time must be raised to represent the given physical quantity. Dimensional Formula The dimensional formula of a physical quantity is an expression telling us how and which of the fundamental quantities enter into the unit of that quantity. It is customary to express the fundamental quantities by a capital letter, e.g., length (L), mass (AT), time (T), electric current (I), temperature (K) and luminous intensity (C). We write appropriate powers of these capital letters within square brackets to get the dimensional formula of any given physical quantity. Applications of Dimensions The concept of dimensions and dimensions from one system of units to another (ii) Deriving relationships between physical quantities (iv) Scaling and studying of models. The underlying principle for these uses is the principle of homogeneity of dimensions. According to this principle, the 'net' dimensions of the various physical relation must be the same; also only dimensionally similar quantities can be added to or subtracted from each other. Limitations of Dimensional Analysis The method of dimensions has the following limitations: (i) by this method the equation containing trigonometric, exponential and logarithmic terms cannot be analyzed. (iii) if a physical quantity in mechanics depends on more than three factors, then relation among them cannot be established because we can have only three equations by equalizing the powers of M, L and T. (iv) it doesn't tell whether the quantity is vector or scalar. Significant Figures The significant Figures are a measure of a couracy of a particular measurement of a physical quantity. Significant figures in a measurement are those digits in a physical quantity that are known reliably plus the first digit which is uncertain. The Rules for Determining the Number of Significant. (ii) All zeroes between non-zero digits are significant. are not significant in numbers without decimal point. (v) All zeroes to the right of a decimal point and to the left of a non-zero digit are significant. (vi) In addition and subtraction, we should retain the least decimal place among the values operated, in the result. (vii) In multiplication and division, we should express the result with the least number of significant figures as associated with the least precise number in operation. (viii) If scientific notation is not used: (a) For a number with a decimal, the trailing zeros are significant. Error The measurement by any measurement is an approximate number, which contains some uncertainty. This uncertainty is called error. Every calculated quantity, which is based on measured values, also has an error. Causes of Errors in Measurement Following are the causes of errors in measurement: Least count may not be sufficiently small. The maximum possible error is equal to the least count. Instrumental Error. This is due to faulty calibration or change in conditions (e.g., thermal expansion of a measuring scale). An instrument may also have a zero error. It makes to give different results for same measurements taken repeatedly. These errors are assumed to follow the Gaussian law of normal distribution. Accidental Error. This error gives too high or too low results. Measurements involving this errors are those errors that tend to be in one direction, either positive or negative. Errors due to air buoyancy in weighing and radiation loss in calorimetry are systematic errors. They can be eliminated by manipulation. Some of the sources of systematic errors are: (i) intrumental error and Percentage Error Combination of Errors IMPORTANT TABLES Class 11 Physics Notes

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