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6-4 <i>Properties of Special Parallelograms</i>				
Match each figure with the letter of one of the vocabulary terms.				
Use each term once.				
	3.		A. rectangleB. rhombusC. square	
Fill in the blanks to complete each theorem				
4. If a parallelogram is a rhombus, then its dia	agonals are		·	
5. If a parallelogram is a rectangle, then its dia	agonals are		·	
6. If a quadrilateral is a rectangle, then it is a		·		
7. If a parallelogram is a rhombus, then each a pair of opposite angles.	diagonal			
8. If a quadrilateral is a rhombus, then it is a				
with $AB = 3$ inches and $BD = 3\frac{1}{4}$ inches. Find each length. 9. $DC = $				
IU. AC –	D		c	
Use the phrases and theorems from the Wor complete this two-column proof. 11. Given: <i>GHIJ</i> is a rhombus. Prove: $/1 \cong /3$	rd Bank to	Alternate Interior <i>GHIJ</i> is a parall Trans. Prop. of $\angle 2 \cong \angle 3$	er ⊿ Thm. elogram. ≅	
Statements		Reasons		
1. <i>GHIJ</i> is a rhombus.	1. Given			
2. a.	2. rhomb. $\rightarrow \square$			
3. GH JI	3. $\Box \rightarrow \text{opp. sides } \parallel$			
4. ∠1 ≅ ∠2	4. b.			
5. c.	5. rhomb. \rightarrow each diag. bisects opp. \triangle			

6. ∠1 ≅ ∠3

6. **d.**

6-4 Properties of Special Parallelograms	6-4 Properties of Special Parallelograms
Match each figure with the letter of one of the vocabulary terms.	Tell whether each figure must be a rectangle, rhombus, or square based on the
Use each term once.	information given. Use the most specific name possible.
1.	ectangle 1. 4 2. 5 3. 1 hombus 1 1 4 2. 5 4 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
<u> </u>	rectanglesquarerhombus
Fill in the blanks to complete each theorem.	A modern artist's sculpture has rectangular faces. The face shown
4. If a parallelogram is a rhombus, then its diagonals are perpendicular	here is 9 feet long and 4 feet wide. Find each measure in simplest
5. If a parallelogram is a rectangle, then its diagonals are <u>congruent</u>	
 If a quadrilateral is a rectangle, then it is a <u>parallelogram</u>. 	4. $DC = $ 9 1001 5. $AD = $ 4 11 $\sqrt{07}$
 If a parallelogram is a rhombus, then each diagonal	6. $DB = \sqrt{97}$ feet 7. $AE = \frac{\sqrt{97}}{2}$ ft B_{4} ft
8. If a quadrilateral is a rhombus, then it is a parallelogram	VWXY is a rhombus. Find each measure.
· · · · · · · · · · · · · · · · · · ·	$V \frac{6m-12}{\sqrt{(9n+4)^2}} W$
The part of a ruler shown is a rectangle with $AB = 3$ inches and $BD = 3^{\frac{1}{2}}$ inches	
Find each length.	9. $m \angle YVW = 107^{\circ}$
9. DC = 3 in.	10. $m \perp VYX = 73^{\circ}$
10 $4C = 3\frac{1}{2}$ in.	36.5°
	$c = \frac{11. \text{ m} \angle XYZ}{2} = \frac{30.3}{2}$
Use the phrases and theorems from the Word Bank to	12. The vertices of square <i>JKLM</i> are $J(-2, 4)$, $K(-3, -1)$, $L(2, -2)$, and $M(3, 3)$. Find each of the following to show that the diagonals of square <i>JKLM</i> are
complete this two-column proof. G_{C} Alternate Interior \pounds T GHIJ is a parallelogra	nm. congruent perpendicular bisectors of each other.
11 Given: GHU is a rhombus	$JL = \frac{2\sqrt{13}}{2}$
Prove: $\angle 1 \cong \angle 3$	slope of $\overline{JL} = -\frac{3}{2}$ slope of $\overline{KM} = -\frac{2}{3}$
Statements Reasons	midpoint of $\overline{JL} = (0, 1)$ midpoint of $\overline{KM} = (0, 1)$
1 CH/lis a rhombus	Write a paragraph proof
	13 Given: ABCD is a rectangle
2. a. \underline{Grijj} is a parallelogram. 2. rhomb. $\rightarrow \Box$	Prove: $\angle EDC \cong \angle ECD$ rectangle, so \overline{AC} is congruent
3. $\overline{GH} \parallel \overline{JI}$ 3. $\Box \rightarrow \text{opp. sides} \parallel$	to BD. Because ABCD is a rectangle, it is also a parallelogram. Because
4. $\angle 1 \cong \angle 2$ 4. b. Alternate Interior $\angle s$ Thm.	ABCD is a parallelogram, its diagonals bisect each other. By the definition
5 c $\angle 2 \cong \angle 3$ 5 rhomb \Rightarrow each diag, bisects opp	of Disector, $EC = \frac{1}{2}AC$ and $ED = \frac{1}{2}BD$. But by the definition of congruent segments $AC = BD$. So substitution and the Transitive Property of Equality
or the second day, become opp	show that $EC = ED$. Because $\overline{EC} \cong \overline{ED}$, $\triangle ECD$ is an isosceles triangle.
6. ∠1 ≅ ∠3 6. d. <u>mails. http://di</u>	The base angles of an isosceles triangle are congruent, so $\angle EDC \cong \angle ECD$.
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1. Find the length of the diagonals of a rectangle with sides of lengths a and b. $\sqrt{a^2 + 1}$ 2. Find the length of the diagonals of a square with sides of length a. $\sqrt{2a}$	$\frac{b^2}{b^2} = \begin{bmatrix} Properties of Rectangles \\ H \\ GHJK is a parallelogram. \\ H \\ GHJK is a parallelogram. \\ H \\ GHJK is a parallelogram. \\ H \\ H \\ GHJK is a parallelogram. \\ H \\ H \\ GHJK is a parallelogram. \\ H \\ H \\ GHJK is a parallelogram. \\ H \\ $
3. Find the length of the sides of a square with diagonals of $\frac{2}{2}\frac{d}{d}$ length a. 4. Find the length of the sides of a thomhus with diagonals of $\sqrt{a^2 + \frac{1}{2}}$	$\overline{\vec{b}^2}$ $\overline{\vec{b}^2}$
Imagine and b. Income	Since a rectangle is a parallelogram, a rectangle also has all the properties of parallelograms. A rhombus is a quadrilateral with four congruent sides. A rhombus has the following properties.
length 2x. $\sqrt{3x}$	Properties of Rhombuses
6. Find the measures of the angles in the triangles formed by	$R_{1} \rightarrow T^{S}$ $R_{1} \rightarrow T^{S}$ $R_{2} \rightarrow T^{S}$
one diagonal of the rectangle in Exercise 5.	
The figure shows a kind of quadrilateral called a <i>kite</i> . A kite is a quadrilateral with exactly two pairs of congruent consecutive sides	$Q T \qquad Q \xrightarrow{P} T \qquad$
Use the figure to write paragraph proofs for Exercises 7 and 8.	If a parallelogram is a
7. Prove: $\angle CBA \cong \angle CDA$ Possible answer: It is given that $\overline{CB} \cong \overline{CD}$ and $\overline{AB} \cong \overline{AD}$. \overline{CA} is congruent to \overline{CA} by the Reflexive Property of Congruence.	If a quadrilateral is a rhombus, then it is a rhombus, then it is a parallelogram. If a parallelogram is a rhombus, then its diagonal bisects a pair of opposite angles.
Thus $\triangle ABC$ is congruent to $\triangle ADC$ by SSS. By CPCTC, $\angle CBA \cong$	CDA. Since a rhombus is a parallelogram, a rhombus also has all the properties of parallelograms.
8. Prove: \overline{AC} is the perpendicular bisector of \overline{BD} .	
Possible answer: It is given that $CB \cong CD$ and $AB \cong AD$. So C are on the perpendicular bisector of \overline{BD} by the Conv. of the Perper Bisector Thm. So, since two points determine a line, \overline{AC} is the pe dicular bisector of \overline{BD} .	and A ABCD is a rectangle. Find each length. ndicular rpen- <u>13 in.</u> <u>5 in.</u> $ABCD is a rectangle. Find each length. 1. BD 2. CD \int_{5 in}^{12 in.} \int_{5 in.}^{12 in.} \int_{5 in.}^{1$
For Exercises 9–11, name all the types of quadrilaterals (kite, parallelogram, rectangle, rhombus, or square) that satisfy the given conditions.	3. AC 4. AE
9. The diagonals bisect each other.	13 in6.5 in
parallelogram, rectangle, rhombus, square	
10. The diagonals are perpendicular.	KLMN is a rhombus. Find each measure.
kite, rhombus, square	5. KL 6. m∠MNK
11. The diagonals are congruent.	2850° (₂ _y + 5) ^{-∞} N
rectangle, square	
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57